

# Exploiting Vision and External Force Estimation for Aerial Manipulation

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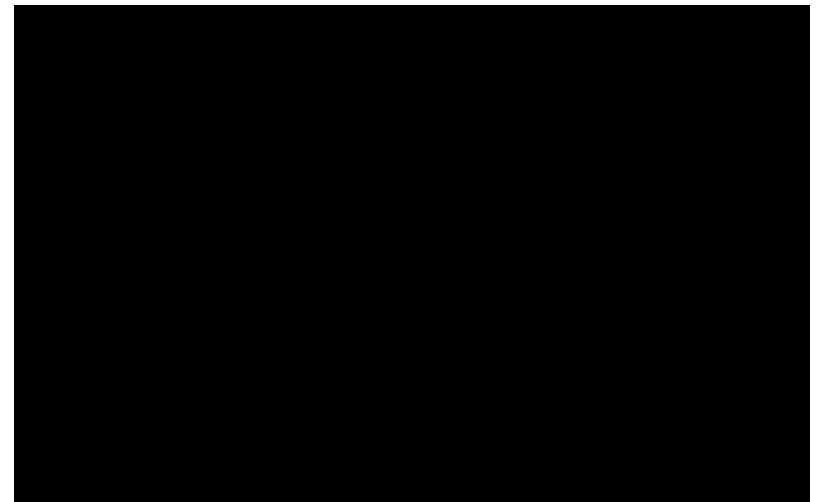
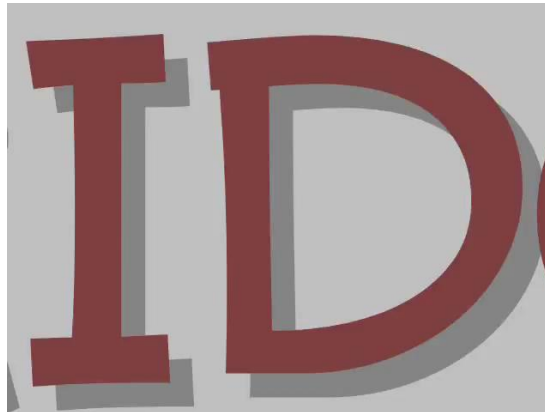
- Introduction
- Interaction control for VTOL UAVs + robotic arms
  - Lightweight sensorized robotic arm concept
  - Momentum-based force/moment estimator
  - Impedance control of a VTOL UAV (decentralized control)
- Visual servoing for aerial manipulation
  - Point-based visual servoing
  - Moments-based visual servoing
- Conclusion

- From a general point of view, for **aerial manipulation** we mean the grasping, transporting, positioning, and assembly/disassembly of mechanical parts, measurement instruments, and objects performed with Vertical Take-off and Landing (VTOL) Unmanned Aerial Vehicles (UAVs) endowed of a gripper and/or a robotic arm

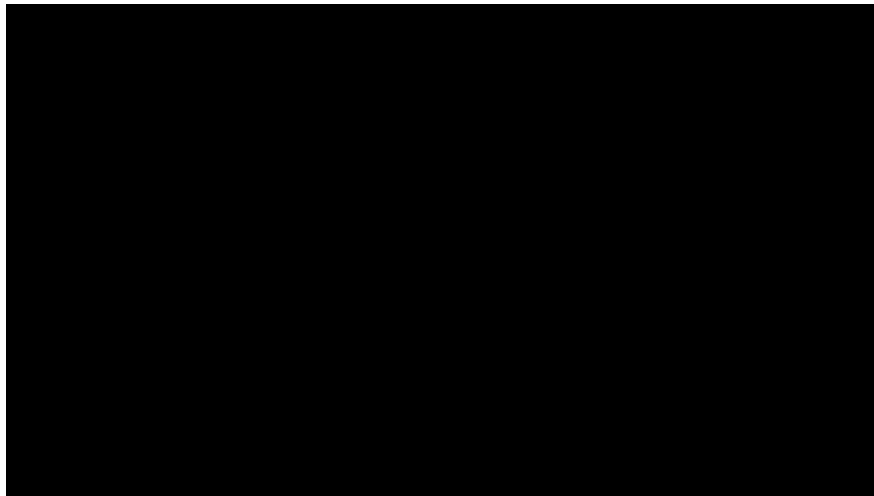
- **Aerial robotics** has become a new frontier in service robotics



- Really useful?



- Business opportunity?



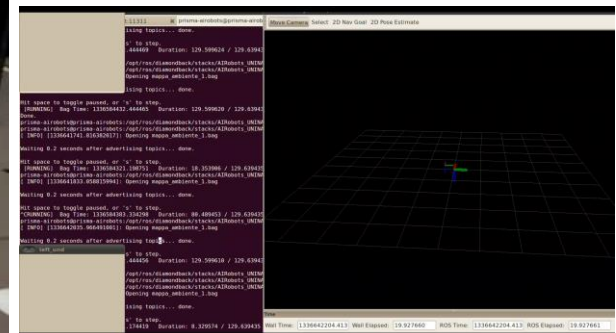
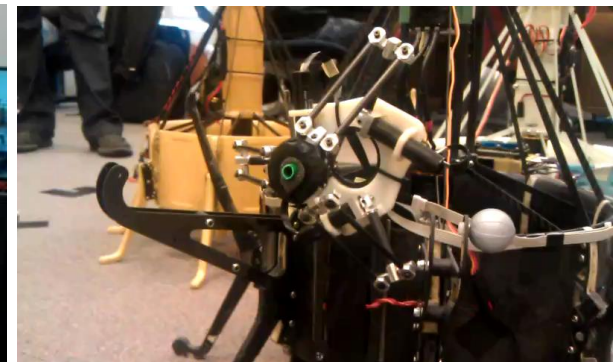
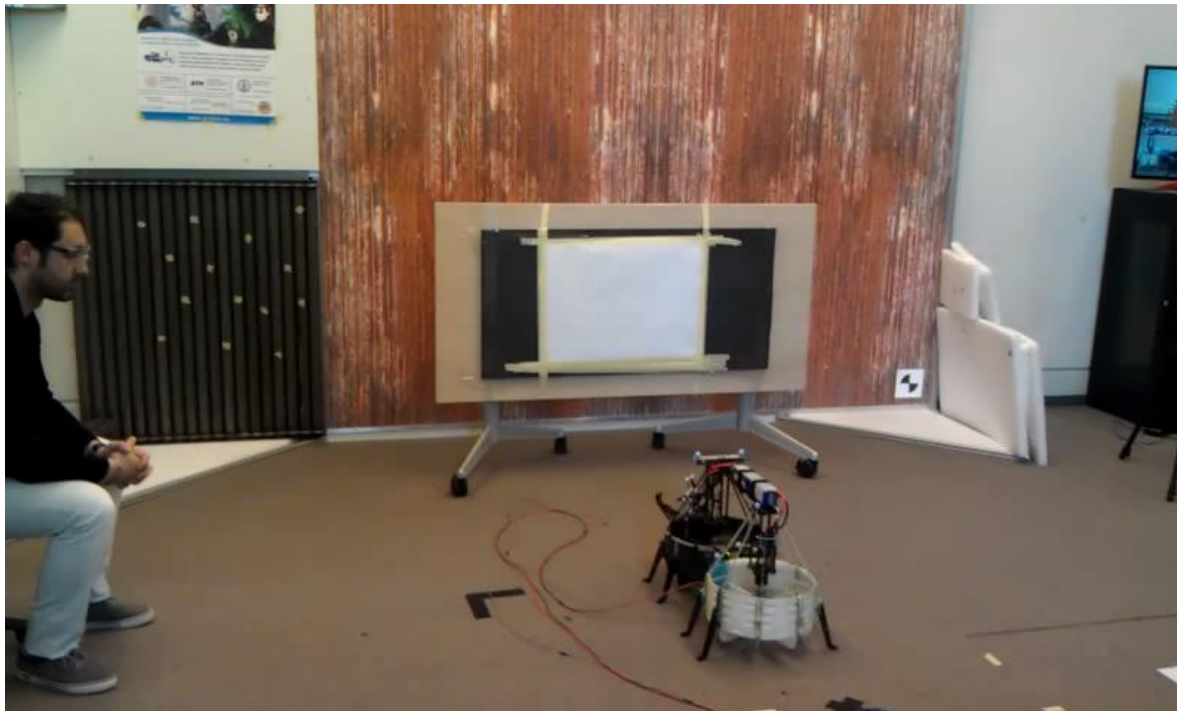
Delivering

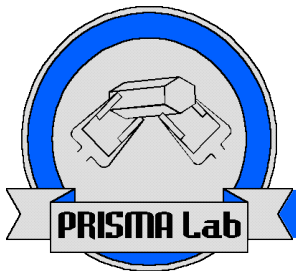


Marketing



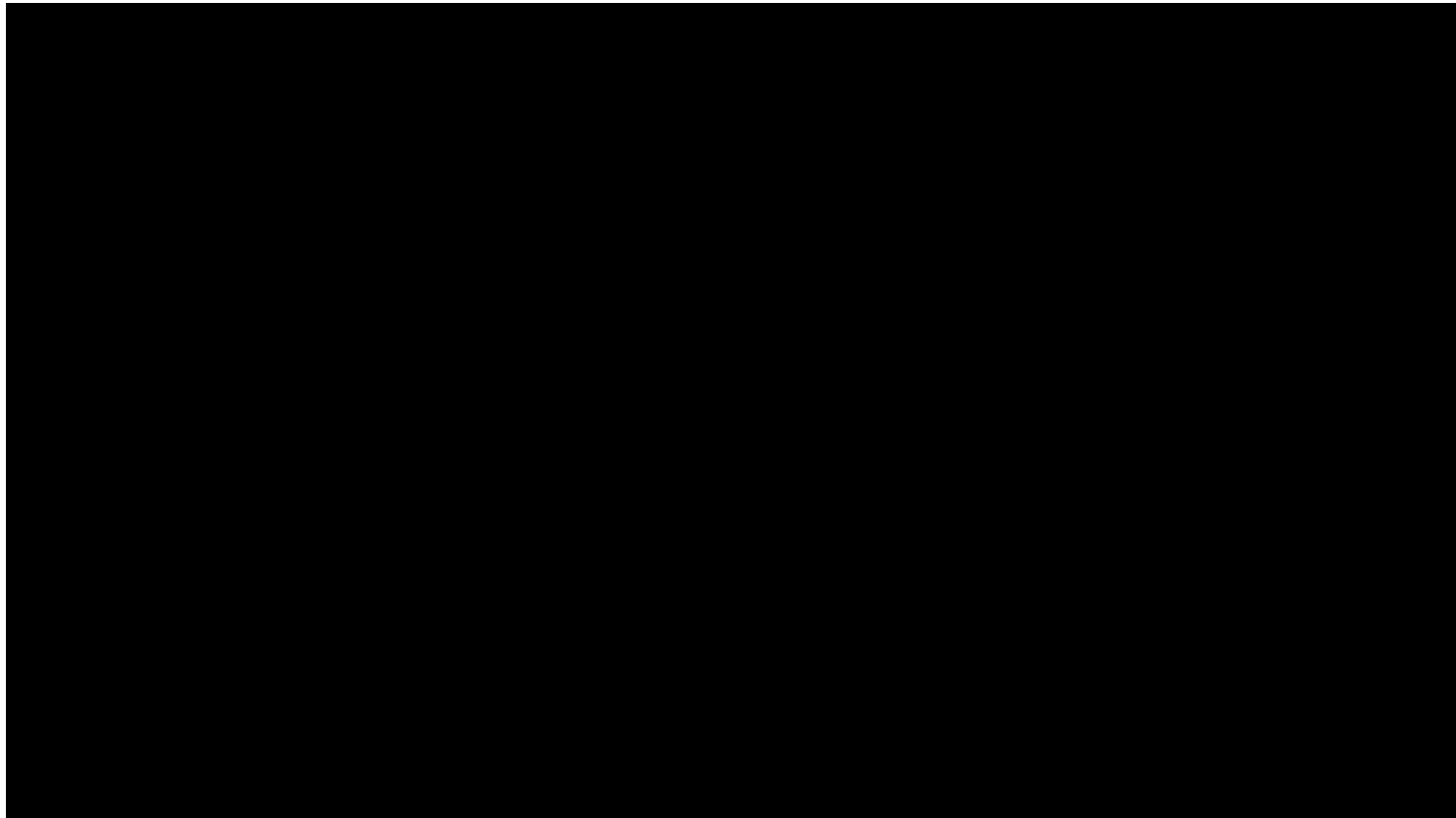
Industry

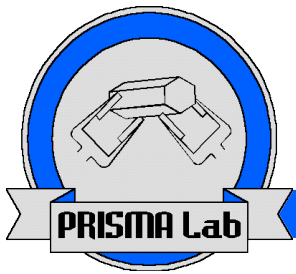




# Research in Aerial Manipulation

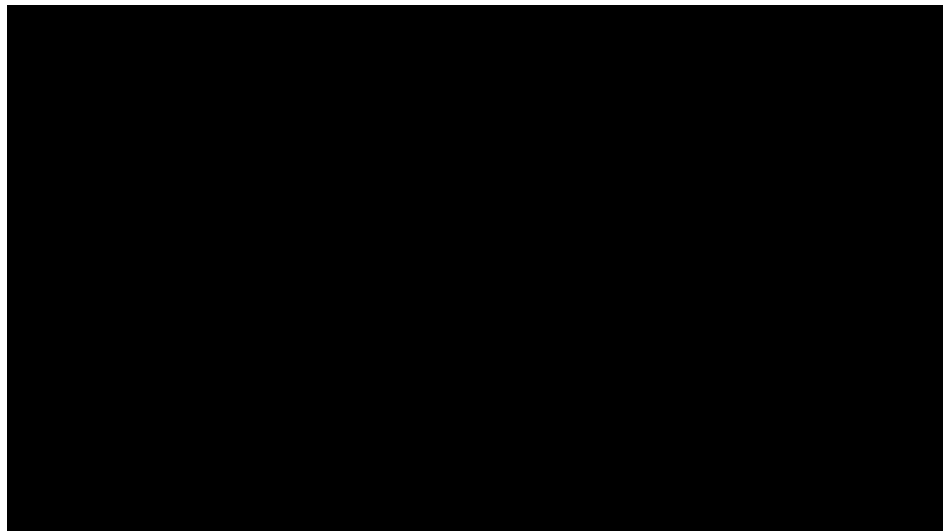
INTRODUCTION

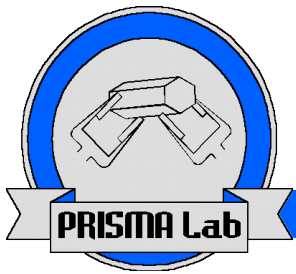




# Research in Aerial Manipulation

INTRODUCTION



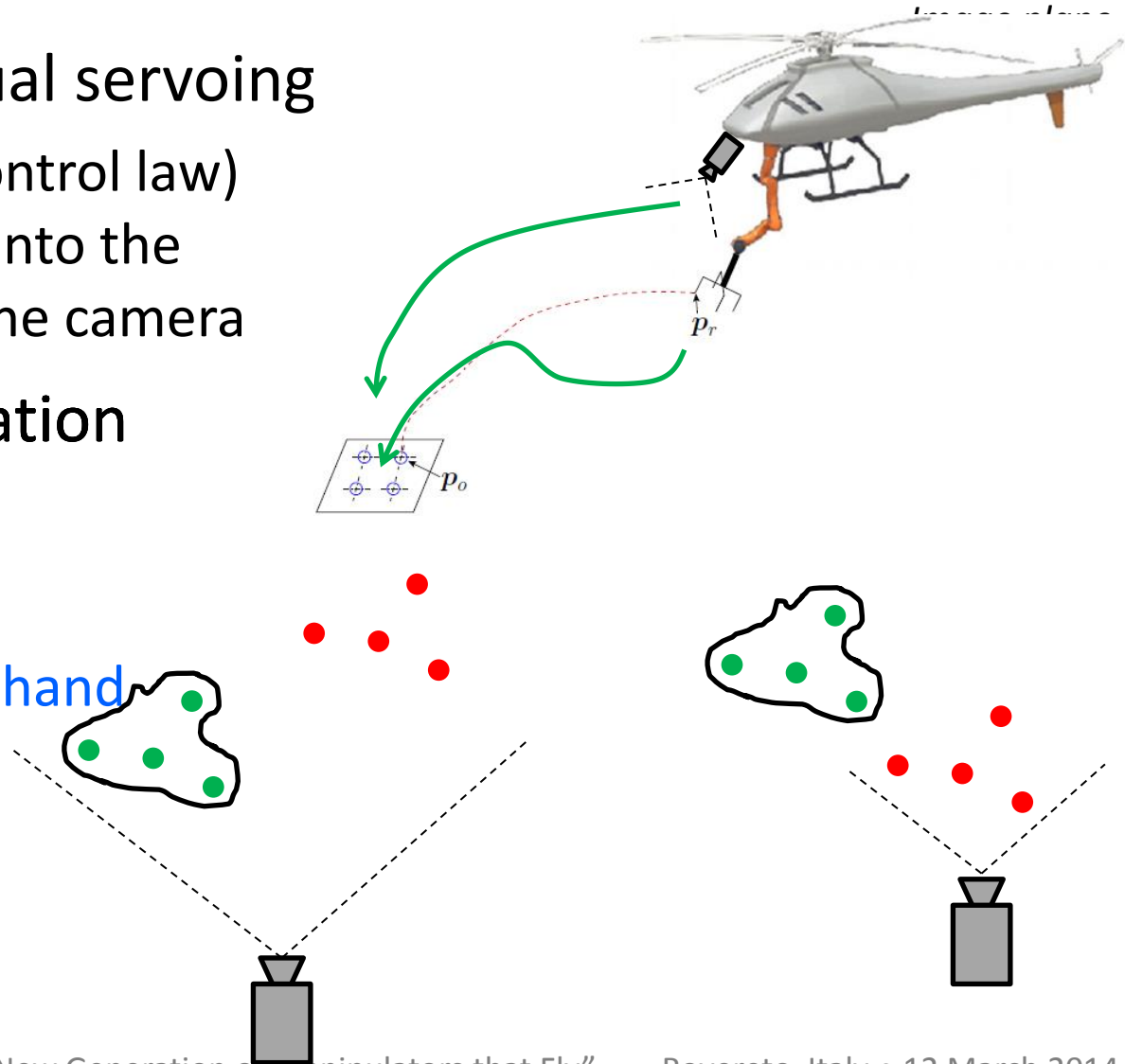


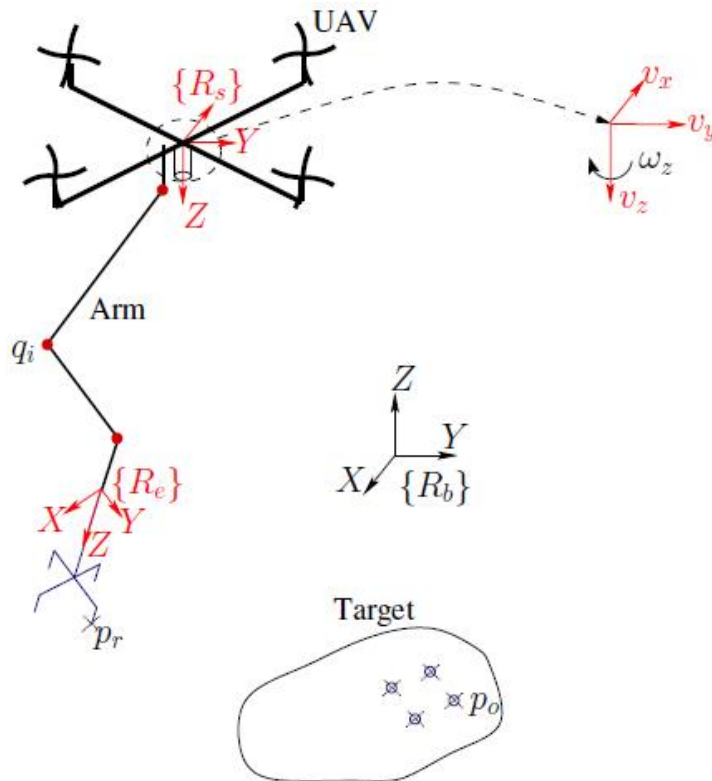
# Required Capabilities for Aerial Manipulation

INTRODUCTION

- Vision plays a primary role in grasping and assembly tasks in unstructured environment
- Interaction control is needed during the physical contact to reduce undesired interaction force and moment
  - The measurement/estimation of the interaction force and moment is required for the low-level control of the UAV

- Image-based visual servoing
  - Control input (control law) defined directly into the image plane of the camera
- Camera configuration
  - Eye-to-hand
  - Eye-in-hand
  - Onboard-eye-to-hand





- Image point coordinates

$$s_o = (x_o \ y_o)^T \in \mathbb{R}^2$$

- Target image kinematics

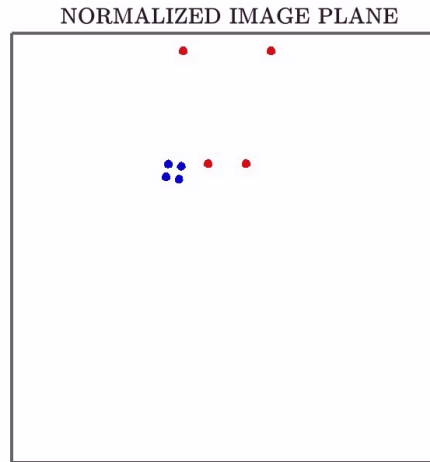
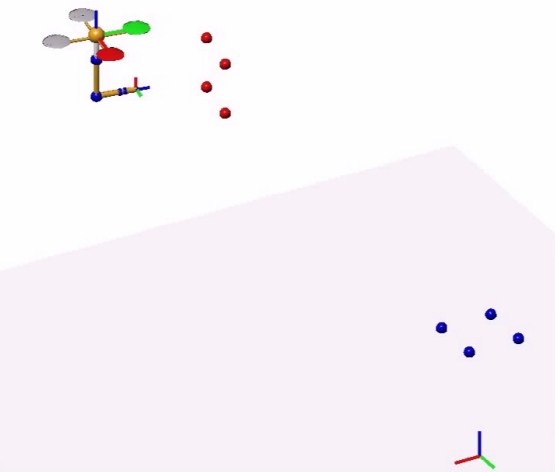
$$\dot{s}_o = L_o v$$

- $L_o$  interaction matrix

- Carried points kinematics

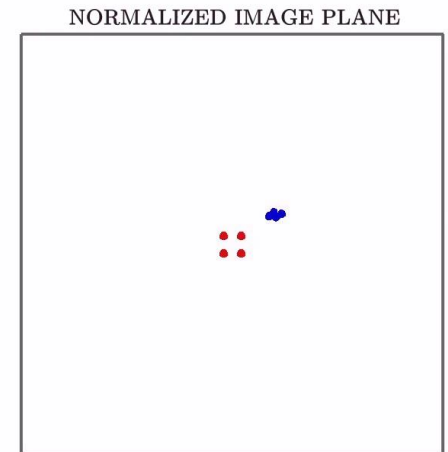
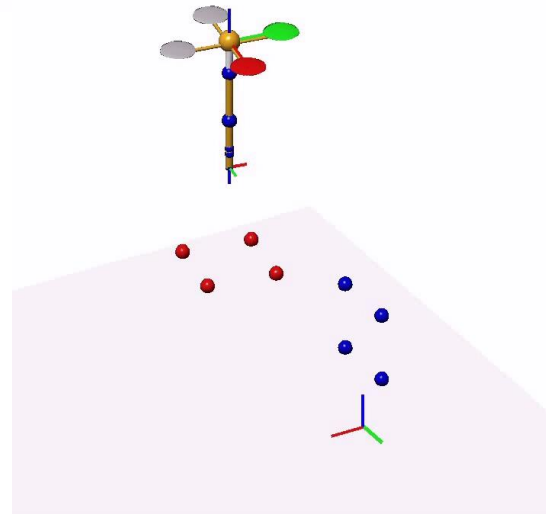
$$\dot{s}_r = L_r \dot{q}$$

- $q$  robotic arm joint vector



Motion of the image features in the image plane is smooth and quite straightforward

**Drawback:** Cartesian motion in the 3D space can be undesirable and/or unpredictable, that could not be borne in practice



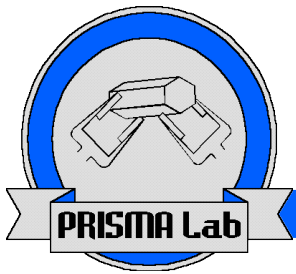
- **Image feature vector** of point-based image moments

$$\mathbf{s}_m = (\sqrt{a} \quad x_g \quad y_g \quad \eta_{11} \quad I_1 \quad \sqrt{I_2})^T \in \mathbb{R}^6$$

with

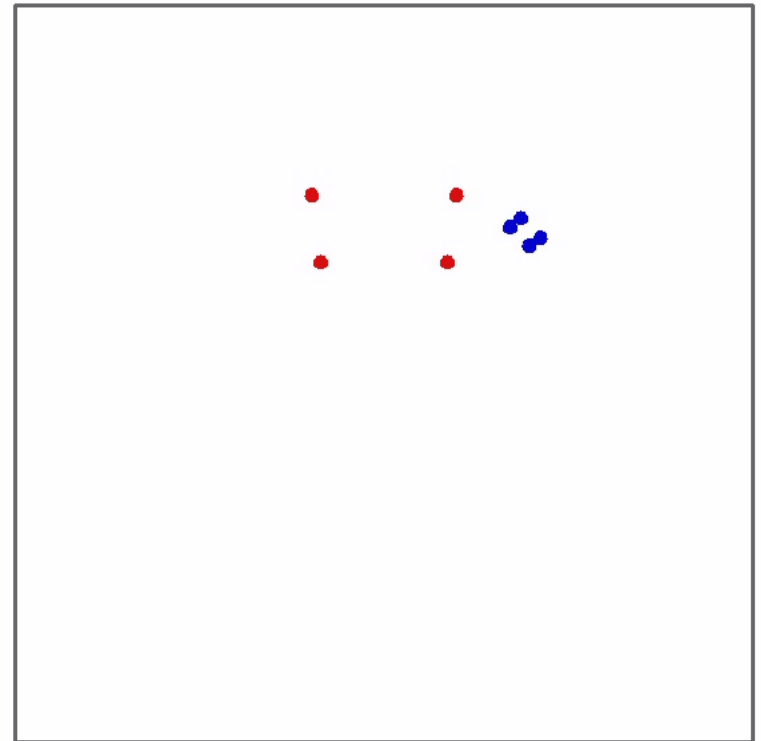
$$\begin{cases} a = m_{00}, & x_g = m_{10}/a, & y_g = m_{01}/a \\ I_1 = \eta_{20} + \eta_{02}, & I_2 = 4\eta_{11}^2 + (\eta_{20} - \eta_{02})^2 \end{cases} \quad \begin{cases} \mu_{pq} = \iint_S (x - x_g)^p (y - y_g)^q dx dy \\ \eta_{pq} = \mu_{pq}/a^{(1+\frac{p+q}{2})} \end{cases}$$

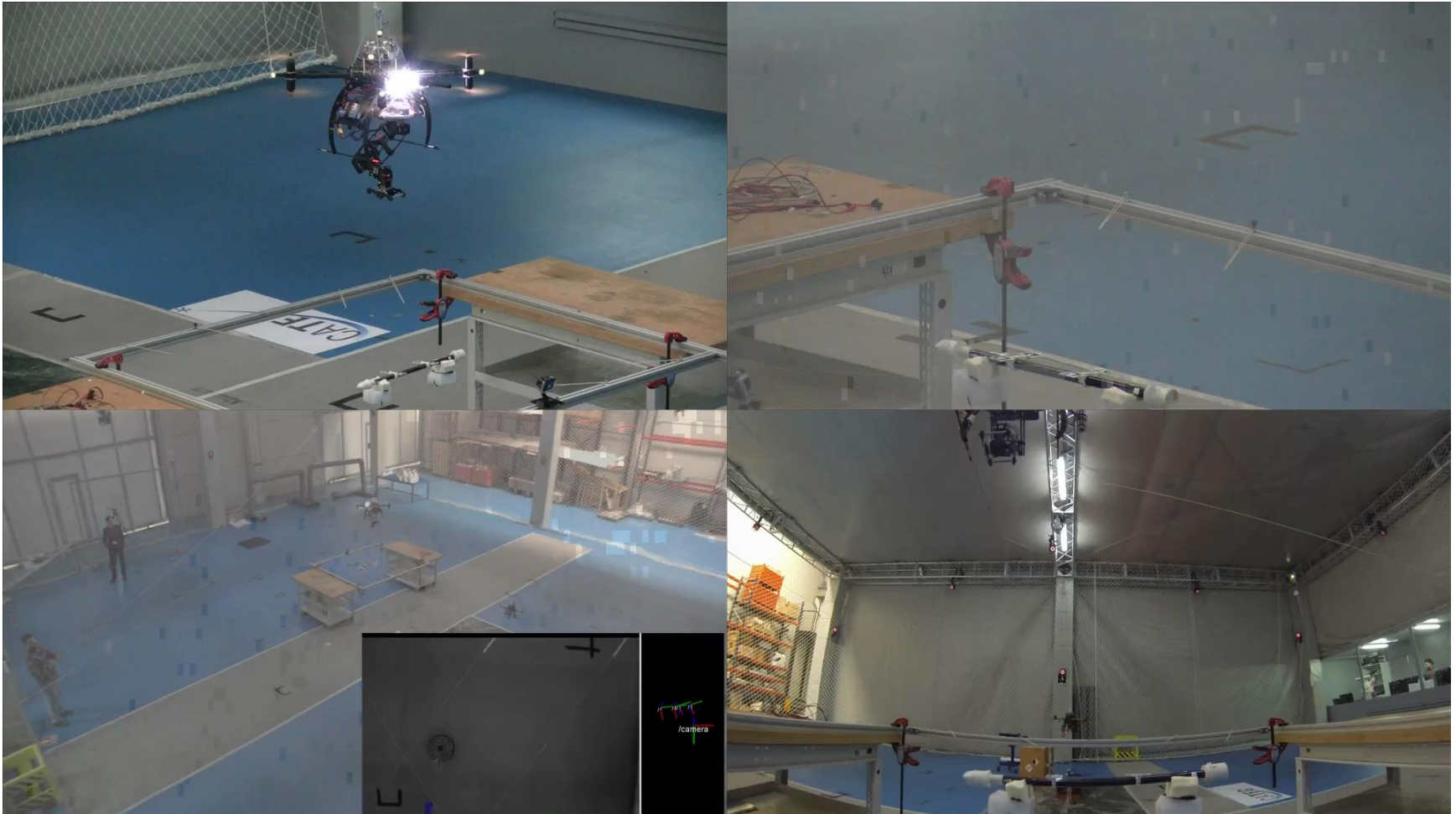
- **Area** is mainly affected by motions orthogonal to the camera plane
- The **centroid** coordinates are affected by the motion parallel to the image plane
- Term  $\eta_{11}$  is related to the main **angle** of the prospective points shape section, that strongly depends on the rotation around the optical axis
- Terms  $I_1$  and  $I_2$  are invariant to both scale, translation, and rotation in the image, thus they should be affected mainly by the remaining motions: the rotations around image x- and y-axis



# Example: Orthogonal Assembly

MOMENTS-BASED VISUAL SERVOING





- Two main approaches
  - Centralized control
    - The whole dynamic model of the VTOL UAV plus the multi-link robot manipulator is considered and the control law is designed on the basis of this complete dynamic model
  - (Partially) Decentralized control
    - The VTOL UAV and the robot arm are considered as two independent systems
      - The effects of the robot arm on the VTOL UAV are considered as external disturbances, and vice versa
    - This approach could be useful in case of the dynamics of the arm is not enough to compensate the UAV positioning errors and/or in case of an arm with servo motor (torque control not allowed)

- On the one hand, the control of a robot arm with external disturbances has been deeply examined in the robotics literature
- On the other hand, the control of a VTOL UAV with external disturbances is an appealing recent scenario
- Dynamic model of a VTOL UAV

$$m\ddot{\mathbf{p}}_b + m\mathbf{g} = u\mathbf{R}_b(\boldsymbol{\eta}_b)\mathbf{i}_3 + \mathbf{f}_{ext}$$

$$\mathbf{M}(\boldsymbol{\eta}_b)\ddot{\boldsymbol{\eta}}_b + \mathbf{C}(\boldsymbol{\eta}_b, \dot{\boldsymbol{\eta}}_b)\dot{\boldsymbol{\eta}}_b = \mathbf{Q}(\boldsymbol{\eta}_b)^T \boldsymbol{\tau}_b^b + \boldsymbol{\tau}_{ext}$$

where the generalized (*ext*) forces may represent unmodeled aerodynamics effects, imbalances, motion of the robotic arm placed for aerial manipulation actions, interaction with the environment, wind, and so on

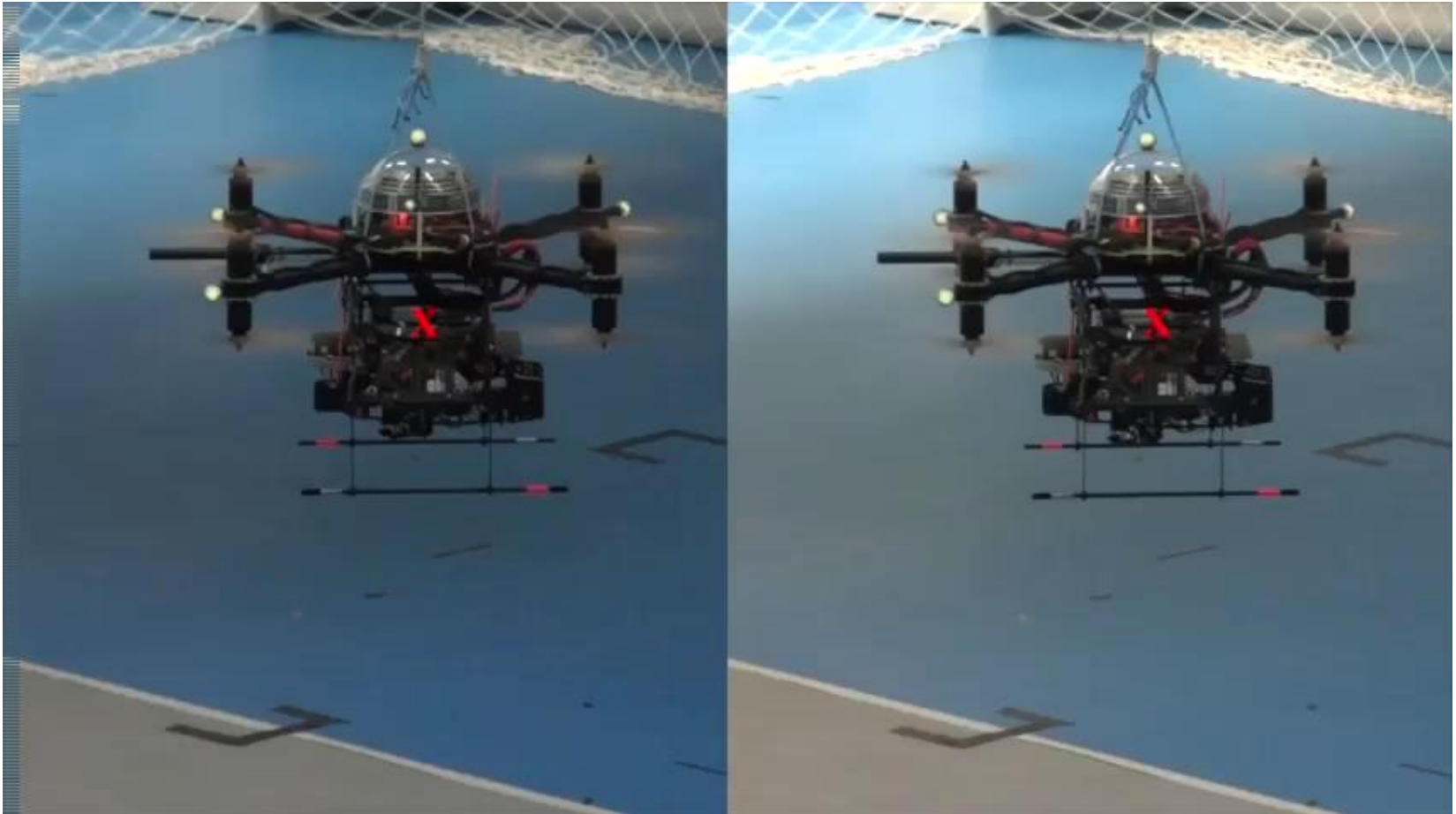
- The control aim is to build control inputs  $u$  and  $\tau_b^b$  so as to guarantee tracking of the planned trajectory at the best in unconstrained directions even in presence of external disturbances or unmodelled dynamics
- Two solutions coming from service robotics have been investigated to be applied in the aerial robotics scenario
  - Impedance control
  - **Passivity-based control**
- It could be shown that, in case of either constant or slowly-varying external generalized forces, a proper feedback of the estimate of such generalized forces improves performance of the controllers
  - A momentum-based external generalized forces estimator is thus proposed

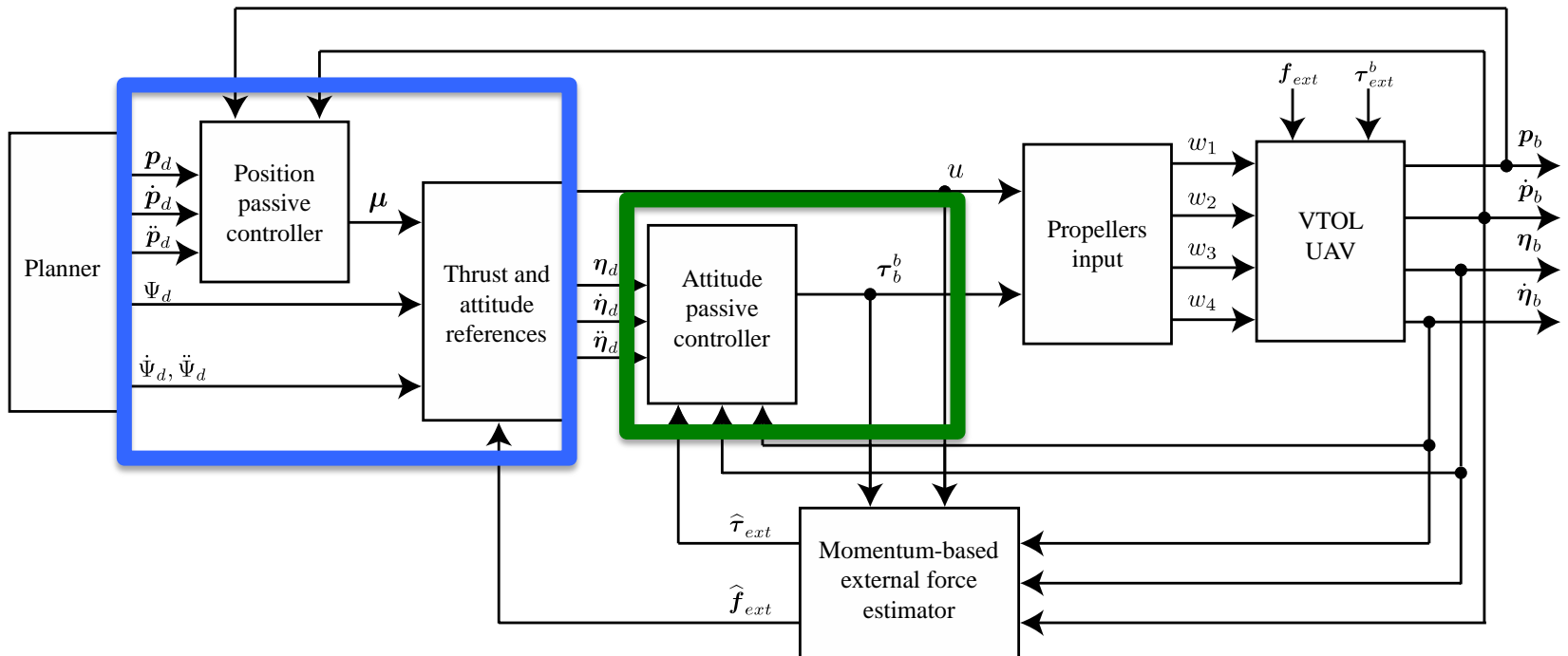
- The expression of the estimated external generalized forces in the time domain is defined as follows

$$\begin{bmatrix} \hat{\mathbf{f}}_{ext} \\ \hat{\boldsymbol{\tau}}_{ext} \end{bmatrix} = \mathbf{r}(t) = \mathbf{K}_1 \left( \int_0^t -\mathbf{r}(t) + \mathbf{K}_2 \left( \mathbf{q}(t) - \int_0^t \left( \begin{bmatrix} {}^u\mathbf{R}_b(\boldsymbol{\eta}_b)\mathbf{i}_3 - m\mathbf{g} \\ \mathbf{Q}(\boldsymbol{\eta}_b)^T \boldsymbol{\tau}_b^b + \mathbf{C}(\boldsymbol{\eta}_b, \dot{\boldsymbol{\eta}}_b)^T \dot{\boldsymbol{\eta}} \end{bmatrix} + \mathbf{r}(t) \right) ds \right) ds \right)$$

where  $\mathbf{q}(t)$  is the momentum of the system

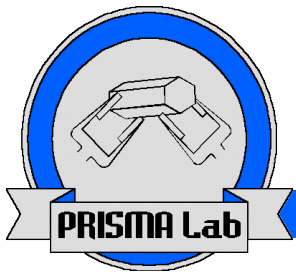
- The estimator is based on the concept of the **momentum conservation principle**
  - Starting from the known model of the system, all the unmodelled terms and the external forces plus moments are estimated to preserve the system's momentum
- Notice that
  - no inversion of the inertia matrix is required
  - no knowledge of the absolute position of the vehicle is necessary





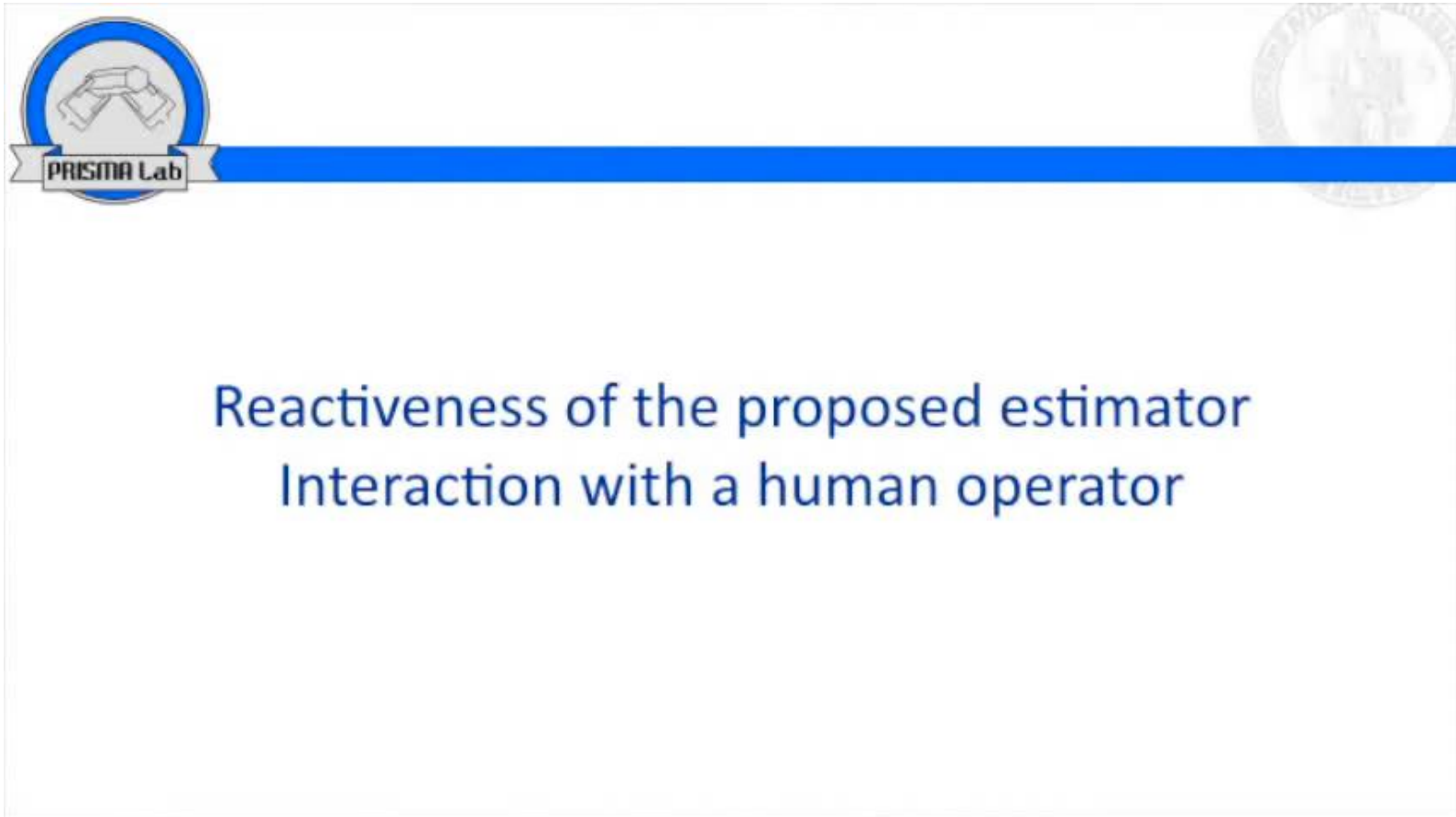
$$m\ddot{e}_p + D_p\dot{e}_p + K_p e_p = u\delta(\eta_d, e_\eta) + \tilde{f},$$

$$M(\eta_b) (\dot{v}_\eta + D_o\dot{e}_\eta + K_o e_\eta) + C(\eta_b, \dot{\eta}_b)v_\eta = \tilde{\tau},$$



# Passivity-based Control

EXPERIMENTAL RESULTS



- A new visual-servoing scheme relevant for the **onboard-eye-to-hand** camera-configuration class has been presented
  - **Image moments**, thanks to their intuitive and geometrical meaning, have been adopted in order to improve system capability of interacting with the target
  - **Undesirable/unpredictable Cartesian motions** that could not be borne in practice can be avoided
- A new **passivity-based control** has been designed to control a VTOL UAV in case of interaction with the environment
  - A new **momentum-based force/torque estimator** has been designed and tested for the UAV control